#### Semantic Theory Lecture 11: Aspectual Classes, Plural and Collectives

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#### Verbs and Events

Modeling verb semantics using events provides a natural solution to several hard problems of semantic theory.

#### However ...

Not all verbs can be appropriately interpreted through implicit event arguments.

#### Verbs and Events

(1) Mary kicked John

(2) "there is a kicking event, in which Mary and John are involved"

(3)John likes Mary

(4) "there is a liking event, in which John Mary are involved" (?)

### State- vs. Event-Expressing Verbs

- There are verbs expressing states and verbs expressing events (which we call non-stative for the time being)
  - Stative verbs: know, believe, own, love, resemble
  - Non-stative verbs (event-denoting verbs; verbs expressing "eventualities"): run, walk, kick, kill, build a house
- Only non-stative verbs come with an implicit event argument:
  - Stative transitives: like'(x, y)
  - Nonstative transitives: kick'(e, x, y)

# Statives and Non-Statives: Linguistic Evidence

#### Progressive form

(1)John is running

(2)John is building a house

(3)\*John is knowing the answer

# Statives and Non-Statives: Linguistic Evidence

#### Simple present

(1) Mary runs (has the habit of running)

(2)John builds houses (is a professional house builder)

(3)John knows the answer

# Statives and Non-Statives: Linguistic Evidence

#### Manner adverbials

(1)John ran carefully

(2)John carefully built a house

(3)\*John carefully knew the answer

#### Verbs and Events

Modeling verb semantics using events provides a natural solution to several hard problems of semantic theory.

#### However ...

Not all verbs can be appropriately interpreted through implicit event arguments.

#### Moreover ...

Non-stative verbs do not form a homogeneous semantic class.

# Linguistic Evidence: Distribution of Duration Adverbials

(1) a. John painted a picture in an hour

- b. \*John walked in an hour
- c. \*It rained in an hour
- (2) a. ?John painted a picture for an hour
  - b. John walked for an hour
  - c. It rained for an hour
- (3) a. It took John an hour to paint a pictureb. \*It took John an hour to walk

# Linguistic Evidence: Different Entailment Properties

■ John walked from 8. to 11 a.m.  $\models$  John walked from 9 to 10 a.m.

■ It rained from 8 to 11 a.m.  $\models$  It rained from 9 to 10 a.m.

# Linguistic Evidence: Different Entailment Properties

- John stopped walking
   ⊨ John walked
- It stopped raining
   ⊨ It rained
- John stopped painting a picture

   *⊭* John painted a picture

## Activities vs. Events

 Activities or Processes: run, walk, swim, work, sleep, rain

Proper Events: paint a picture, write a paper, build a house, find a solution, reach the summit

# Linguistic Evidence: Two Sub-Classes of Proper Event Verbs

- (1) a. John painted a picture
  - b. John noticed the picture
- (2) a. John is painting a pictureb. \*John is noticing a picture
- (3) a. John painted a picture from 9 to 11 a.m.
  - b. \*John noticed the picture from 9 to 11 a.m.
  - c. \*John reached the summit from 9 to 11 a.m.
- (4) a. John stopped painting a picture
  - b. \*John stopped noticing the picture
  - c. \*John stopped reaching the summit

#### Vendler's Aspectual Verb Classes



#### An Extension of Vendler's Classification (Moens & Steedman 1988)



## Event Categorization accroding to Moens&Steedman

Events are categorize along two dimensions:

Temporal extension:

atomic/ punctual: "Point Activities" and Achievements extended: Processes and accomplishments

Specific consequent state implied:

consequent state: Accomplishments and Achievements no consequent state: Point Activities and Processes

### **Open Questions**

- Strictly speaking, it is not the verbs (i.e., verb lemmas) lemmas that belong to aspectual classes. Aspect is influenced by:
- Verb Inflection, e.g., simple vs. progressive form
- Verb arguments, compare:
  - Bill ate : activity
  - Bill ate an apple : accomplishment
  - Bill ate apples : acitivity
- Adverbial modifiers:
  - Bill frequently smokes
  - Yesterday, Mary kicked Bill all the time

### **Open Questions**

The difference in the representation of statives and nonstatives is clear: presence/ absence of an event argument.

But:

How can the difference between activities and proper events be modelled?

## Plural NPs

- Bill and Mary work ⊨ Bill works
- Bill and Mary work ⊨ Mary works
  - work'(b)  $\wedge$  work'(m)  $\models$  work(b)
  - work'(b)  $\wedge$  work'(m)  $\vDash$  work(m)
- The students work , John is a student  $\vDash$  John works
  - $\forall x(student'(x) \rightarrow work'(x)), student'(j) \models work'(j)$

### **Collective Predicates**

- Bill and Mary met
  - ⊭ Bill met
- The students met , John is a student

   *⊭* John met
- "meet" is a collective predicate.

## **Distributive and Collective Predicates**

- Distributive predicates like work, sleep, eat, blond apply to both singular and plural NPs. When applied to a plural NP, they describe common properties of the set or group of objects denoted by the NP. Therefore, the predicate "distributes" over the individual objects covered by the NP.
- Collective predicates only apply to expressions denoting a set or group of objects. They describe a property of the group, not of its individual members.
  - Examples: meet, gather, unite, agree, be similar, compete, disperse, dissolve, disagree, be numerous, ...

### Sums and Atoms

- In the face of collective predicates, we cannot reduce the semantics of plural terms to "atomic" entities of standard FOL.
- In addition to standard individuals, we must add another sort of entities to the model structure universe: "groups" or "sums."

# Structured Model Universe with Sum Entities



The edges indicate the (individual) part-of relation.

#### Lattices and Semi-Lattices

- A partially ordered set is a structure  $(A, \leq)$  where  $\leq$  is a reflexive, transitive, and anti-symmetric relation over A.
- Let  $(A, \leq)$  be a partial order:
  - The join of a and b ∈ A (Notation: a ⊔ b) is the lowest upper bound for a and b.
  - The meet of a and b ∈ A (Notation: a n b) is the highest lower bound for a and b.
- A **lattice** is a partial order  $(A, \leq)$  which is closed under meet and join.
- A join semi-lattice is a partial order (A, ≤) which is closed under the join operation.
- An element a ∈ A is an atom, there is no b in A (except possibly 0) such that b<a.</p>
- A lattice  $(A, \leq)$  is atomic, if for every  $a \neq 0$  there is an atom  $b \leq a$ .

## Model Structure for Plural Terms

- A model structure is a pair  $M = \langle \langle U, \leq \rangle, V \rangle$ , where
  - **(U, ≤)** is an **atomic join semi-lattice** with universe U and individual part relation ≤.
  - V is a value assignment function.
- $A \subseteq U$  is the set of atoms in  $\langle U, \leq \rangle$ .
- U A is the set of non-atomic elements, i.e., the proper sums or groups in U.

# Logic for Plural and Collectives: Syntax

- New logical constants: A binary summation operator ⊕, a one-place predicate for "is an atom", At, and a two-place relation ⊲ for "(proper) individual part," used as in
  - $j^* \oplus b^*$  "the group consisting of John and Bill"
  - j\* ⊲ j\* ⊕ b\* "John is part of the group consisting of John and Bill"
  - j ⊕ b < c "John and Bill are part of the committee"
- A new type of variables, ranging over sums: X, Y, Z, ...
- Specific predicate constants to represent singular and plural of nouns, e.g.: student<sup>sg</sup>, student<sup>pl</sup>, in addition to the general student'.

## Logic for Plural and Collecives: Interpretation

- Like standard interpretation function, with additional clauses for ⊕, ⊲, and At :
  - $\blacksquare \ \llbracket a \oplus b \rrbracket^{\mathsf{M},\mathsf{g}} = \ \llbracket a \rrbracket^{\mathsf{M},\mathsf{g}} \sqcup \llbracket b \rrbracket^{\mathsf{M},\mathsf{g}}$
  - $\blacksquare \ \llbracket a \triangleleft b \rrbracket^{M,g} = 1 \ \text{iff} \ \llbracket a \rrbracket^{M,g} < \llbracket b \rrbracket^{M,g}$
  - $[At(a)]^{M,g} = 1$  iff  $[a]^{M,g} \in A$

The interpretation function of non-logical constants must satisfy specific constraints. See next slides.

## Interpretation of Collective Predicates

Collective predicates F (like meet', collaborate', also student<sup>s</sup>):

 $V_{M}(F) \subseteq U - A$ 



### Interpretation of Distributive Predicates

Distributive predicates F (like work', blond', student'):

- V<sub>M</sub>(F) is a subset of U satisfying the following conditions:
- If  $a \in V_M(F)$  and b < a, then  $b \in V_M(F)$  (**Distributivity**)
- iff a,  $b \in V_M(F)$ , then  $a \sqcup b \in V_M(F)$  (**Closure under Summation**)



### Interpetation of Number

- Standard common nouns are distributive predicates. The grammatical number feature provides a distinction between atom-denoting and group-denoting uses.
- $V^{M}(student^{sg}) \subseteq A$
- $V^{M}(student^{pl}) \subseteq U A$
- V<sup>M</sup>(student<sup>'</sup>) = V<sup>M</sup>(student<sup>sg</sup>) ∪ V<sup>M</sup>(student<sup>pl</sup>)

#### Examples

- John and Mary worked
- John and Mary met
- Two students worked
- Two students met
- Two students presented a paper

#### Mass Nouns and Plurals

water, gold, wood, money, soup, ...

- Mass nouns and plurals are closed under summation:
  - students + students = students
  - water + water = water
- Mass nouns and plurals combine with cardinalities:
  - 5 students 5 liters of water
- Mass nouns and plurals share grammatical patterns:
  - for instance, indefinite plural NPs and indefinite mass term
     NPs don't take an article in English and German

#### Mass Nouns and Plurals

- Unlike plurals, mass nouns are divisive: An amount of water can always be subdivided into proper parts, which are water again.
- Mass nouns are a challenge for model theoretic semantics: Their denotations cannot be reduced to atomic individuals.

### Model Structure for Mass Nouns (1)

- We add another sort of entities, the "portions of matter" M, to the model structure, and distinguish an individual part and a material part relation, writing  $\leq_i$  for the former, and  $\leq_m$  for the latter:
- $\blacksquare M = \langle \langle U, \leq_i \rangle, \langle M, \leq_m \rangle, V \rangle$ 
  - $\bullet \quad \mathsf{U} \cap \mathsf{M} = \emptyset$
  - $(U, \leq_i)$  is an atomic join semi-lattice
  - (M, ≤<sub>m</sub>) is a non-atomic (and dense) join semi-lattice
  - V is a value assignment function

## Model Structure for Mass Nouns (2)

- There is close relationship between the domain of (atomic and sum) individuals and material entities: Each individual consists of a specific portion of matter.
- To model the object-matter relation, we extend the model structure with a "materialization" function h:

$$\blacksquare M = \langle \langle U, \leq_i \rangle, \langle M, \leq_m \rangle, h, V \rangle,$$

where h is a homomorphism that maps (atomic and sum) individuals to the matter they consist of.

- Because h is a homomorphism, the following holds:
  - $a \leq_i b$  iff  $h(a) \leq_m h(b)$
  - $h(a \sqcup_i b) = h(a) \sqcup_m h(b)$

# Logic for Plurals and Mass Nouns: Syntax

- We add a material fusion operation and a material part relation, and distinguish  $\oplus_i$ ,  $\oplus_m$ ,  $\triangleleft_i$ , and  $\triangleleft_m$ . (summation and individual part relation are indexed with "i").
- We express the materialization function with a new logical operator m (type (e, e), takes a type e argument of sort "individual" and returns a type e constant of sort "matter".
- We use  $x, y, z, \dots$  as variables referring to matters.

## Logic for Plurals and Mass Nouns: Interpretation

$$\blacksquare M = \langle \langle U, \leq_i \rangle, \langle M, \leq_m \rangle, h, V \rangle$$

Interpretation of new logical constants:

- $\blacksquare \quad \llbracket a \oplus_i b \rrbracket^{\mathsf{M},\mathsf{g}} = \ \llbracket a \rrbracket^{\mathsf{M},\mathsf{g}} \sqcup_i \llbracket b \rrbracket^{\mathsf{M},\mathsf{g}}$
- $\blacksquare \ \llbracket a \triangleleft_i b \rrbracket^{M,g} = 1 \ \text{iff} \ \llbracket a \rrbracket^{M,g} <_i \llbracket b \rrbracket^{M,g}$
- $[At(a)]^{M,g} = 1$  iff  $[a]^{M,g} \in A$
- $\blacksquare \ \llbracket a \oplus_m b \rrbracket^{M,g} = \ \llbracket a \rrbracket^{M,g} \sqcup_m \llbracket b \rrbracket^{M,g}$
- $\blacksquare \ \llbracket a \triangleleft_m b \rrbracket^{M,g} = 1 \text{ iff } \llbracket a \rrbracket^{M,g} <_m \llbracket b \rrbracket^{M,g}$
- $\blacksquare \ \llbracket m(a) \rrbracket^{M, g} = h(\llbracket a \rrbracket^{M, g})$

#### Examples

(1) a. The/A ring is made of gold

b.  $\exists y [ ring(y) \land gold(m(y)) ]$ 

#### (2) a. The/A ring contains gold b. $\exists y \exists x [ring(y) \land x \triangleleft_m m(y) \land gold(x)]$